

# 1.00 Lecture 5

## More on Java Data Types, Control Structures Introduction to Methods

Reading for next time: Big Java: 7.1-7.5, 7.8

## Floating Point Anomalies

- **Anomalous floating point values:**
  - **Undefined, such as 0.0/0.0:**
    - 0.0/0.0 produces result NaN (Not a Number)
    - Any operation involving NaN produces NaN as result
    - Two NaN values cannot be equal
    - Check if number is NaN by using methods:
      - `Double.isNaN(double d)` or `Float.isNaN(int i)`
      - Return boolean which is true if argument is NaN
  - **Overflow, such as 1.0/0.0:**
    - 1.0/0.0 produces result `POSITIVE_INFINITY`
    - -1.0/0.0 produces result `NEGATIVE_INFINITY`
    - Same rules, results as for NaN (`Double.isInfinite`)
  - **Underflow, when result is smaller than smallest possible number we can represent**
    - Complex, not handled very well (represented as zero)

## Example

```
public class NaNTest {
    public static void main(String[] args) {
        double a=0.0, b=0.0, c, d;
        c= a/b;
        System.out.println("c: " + c);
        if (Double.isNaN(c))
            System.out.println(" c is NaN");
        d= c + 1.0;
        System.out.println("d: " + d);
        if (Double.isNaN(d))
            System.out.println(" d is NaN");
        if (c == d)
            System.out.println("Oops");
        else
            System.out.println("NaN != NaN");
        double e= 1.0, f;
        f= e/a;
        System.out.println("f: " + f);
        if (Double.isInfinite(f))
            System.out.println(" f is infinite");
    }
}
```

## Doubles as Bad Loop Counters

```
public class Counter {
    public static void main(String[] args) {
        int i= 0;
        double x= 0.0;
        while (x <= 10.0) {
            x += 0.2;
            i++;
            if ( i % 10 == 0 || i >= 48)
                System.out.println("x: " + x + " i: " + i);
        }
    }
}
```

## Doubles as Bad Loop Counters

```
i : 10 x : 1.9999999999999998
i : 20 x : 4.0000000000000001
i : 30 x : 6.0000000000000003
i : 40 x : 8.0000000000000004
i : 48 x : 9.599999999999998
i : 49 x : 9.799999999999997
i : 50 x : 9.999999999999996
i : 51 x : 10.199999999999996
```

Notice accumulating, increasing error. Never use floats or doubles as loop counters (well, almost never...)

↑  
We went one iteration too many

## Exercise

- Create a class `AngleTest`
  - Loop over angles from  $\theta_{\min}$  to  $\theta_{\max}$  by  $\delta$
  - Output the angle
  - Compute and output  $1/(\theta_{\max} - \theta)$
  - Make sure you get very close to  $\theta_{\max}$
  - Input  $\theta_{\min} = 0.1$ ,  $\theta_{\max} = 4.0$ ,  $\theta = 0.1$
- How close do you get?
- Does Java catch the zero divide?
- If you have time:
  - Implement this with an int loop counter

## Numerical Problems

Problem	Integer	Float, double
Zero divide	POSITIVE_INFINITY, NEGATIVE_INFINITY	POSITIVE_INFINITY, NEGATIVE_INFINITY
0/0	NaN (not a number)	NaN (not a number)
Overflow	No warning. Program gives wrong results.	POSITIVE_INFINITY, NEGATIVE_INFINITY
Underflow	Not possible	No warning, set to 0
Rounding, accumulation errors	Not possible	No warning. Program gives wrong results.

Common, "bad news" cases



## More on Control Structures

- **Three control structures in Java, or any language, for that matter:**
  - **Sequence:** execute next statement
    - This is default behavior
  - **Branching:** if, else statements
    - If, else are the primary construct used
    - Switch statement used if many choices
  - **Iteration:** while, do, for loops
    - Additional constructs exist to terminate loops 'prematurely'

# Switch statement

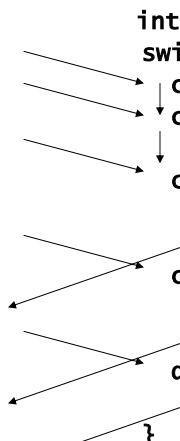
- Used as substitute for long if-else chains
  - Branch condition must be integer, can't be String, float, etc.
  - No ranges, just single values or expressions in switch
    - C# allows strings as branch condition, but not Java or C++

```
int speed;
switch (speed/10) {           // Limit= 9 mph (bicycle)
    case 3:                   // Drop through to case 2
    case 2:
        System.out.println("Arrest");
    case 1:                   // Drop through to case 1
        System.out.println("Ticket");
        break;               // Prevent dropping through
    case 0:
        System.out.println("Speed legal");
        break;
    default:
        System.out.println("Invalid radar reading");
}
```

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    default:
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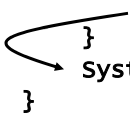
A diagram consisting of several arrows pointing from the left margin towards the code. One arrow points to the 'switch' keyword, another to the 'case 3:' label, a third to the 'case 2:' label, a fourth to the 'case 1:' label, a fifth to the 'break;' statement in the case 1 block, a sixth to the 'case 0:' label, a seventh to the 'default:' label, and an eighth to the closing curly brace '}' of the switch statement.

## Terminating Iteration: Break

- Break statement in for, while or do-while loops transfers control to statement immediately after end of loop

```
public static void main(String[] args) {
    for (int i = 0; i < 20; i++) {
        System.out.println("i: "+i);
        if (i*i > 20)
            break;           // End loop
    }
    System.out.println("Done");
}

// If break in inner, nested loop, control is
// transferred to the outer loop
```

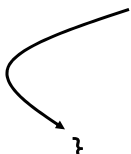


## Terminating Iteration: Continue

- Continue statement jumps to end of loop but continues looping

```
public static void main(String[] args) {
    for (int i = 0; i < 7; i++) {
        System.out.println("i: "+i);
        if (i*i < 17)
            continue;       // Skip rest of loop
        System.out.println("i: "+i);
    }
    System.out.println("Done");
}

// If continue in inner, nested loop, control stays
// in inner loop
```



## Control exercise

- **Write a class LoopExercise:**
  - **Main() method has:**
    - **Loop over int i going from 0 to 8**
      - **Make  $j = i^2 - 1$**
      - **If j negative, skip the rest of the loop**
      - **Find s= square root of j**
      - **If  $s > 4$ , end the loop**
      - **Output i, j and s to see what's happening**
    - **Print "Done" at the end of the program**

## Java Methods

- **Methods are discrete units of behavior**
  - You've already used some:
    - `JOptionPane()`
    - `Math.sqrt()`
    - `System.out.println()`
  - You'll write your own for the rest of the term, as part of classes
  - Right now, you are writing classes but they only have a `main()` method and they create no objects
  - We'll write additional methods in our classes
  - (And then create objects that have methods)
  - For now, our methods will have the keywords `public` `static` in them
    - Treat them as an incantation for this and the next lecture

# Why Use Methods

- Methods provide a way to invoke the same operation from many places in your program, avoiding code repetition
- Methods hide implementation details from the user of the method
- Variables defined within a method are not visible to users of the method; they have local scope within the method. (More on scope next time)
- The method cannot see variables in the program component (e.g., main()) that calls it either. There is logical separation between the two, which avoids variable name conflicts.
- Methods (and objects) allow programs to scale

# Method example

```
public class MethodExample {
    public static void main(String[] args) {
        double boxWeight= 50;
        double boxCube= 10;
        String boxID= "Box A";
        double density= getDensity(boxWeight, boxCube);
        System.out.println("Density: "+ density);
        printBox(boxWeight, boxCube);
    }
    public static double getDensity(double bw, double bc) {
        double result= bw/bc; // 'result' could be 'density'
        return result;
    }
    public static void printBox(double w, double c) {
        System.out.println("Box weight: "+w+" cube: "+c);
        System.out.println(" Density: "+getDensity(w,c));
    }
    // System.out.println(" ID: "+boxID); // No access to ID
    // won't compile!
}
```



## Passing Arguments

```
main(...){  
    double boxWeight= 50;  
    double boxCube=10;  
    String boxID= "Box A";  
    double density=getDensity  
        (boxWeight, boxCube);  
    ...  
}
```

Communi-  
cation only  
via arg list,  
return value

Arguments  
matched by  
position

Return value

Argument 1

Argument 2

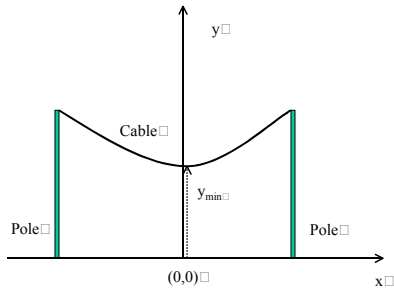
```
double getDensity(double bw, double bc)  
{  
    // Method makes its own copy  
    // of arguments bw and bc  
    Double result= bw/bc;  
    return result;}  
}
```

Assume  
method is  
written first:  
can't know  
main() vars

## Method exercise

- Write a class MethodExercise
  - Main() method:
    - Declares String name, int age, double height
    - Sets variables to your name, age, height
    - Calls isOldEnough() method
    - Calls printInfo() method
  - Method isOldEnough() returns true if age >= 21, false otherwise
  - Method printInfo prints name, age, height
  - Choose appropriate arguments, return values

# Homework 2

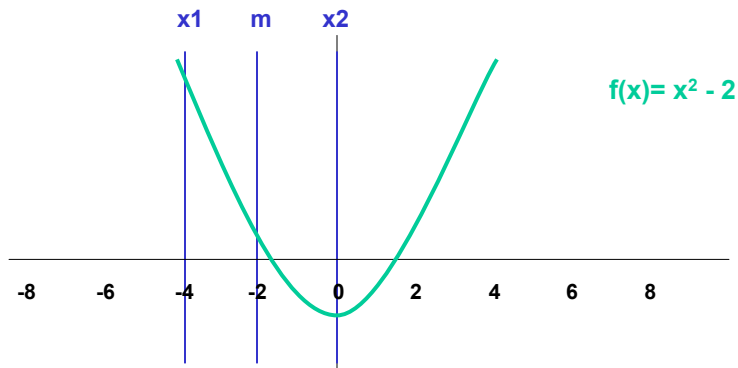


$$y = \frac{T}{w} \cosh\left(\frac{wx}{T}\right) + y_{\min} - \frac{T}{w}$$

$$\cosh(x) = 0.5(e^x + e^{-x})$$

Solve for T using bisection: find T s.t.  $f(T) = 0$   
Then, calculate y for each x and print them out

# Bisection

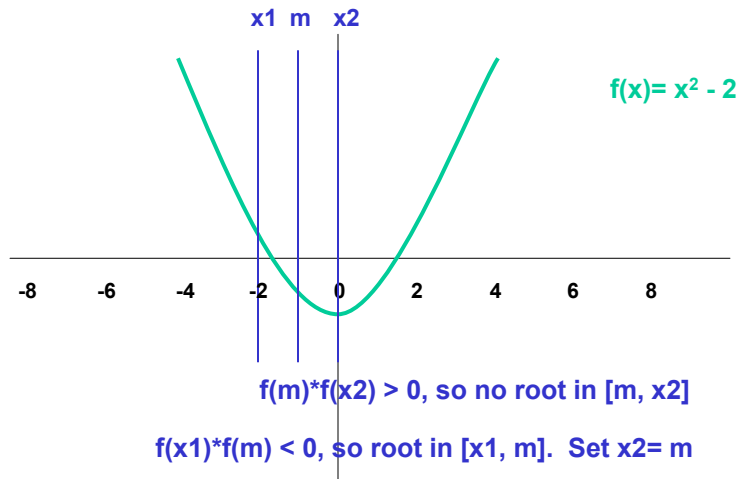


$f(x_1) \cdot f(m) > 0$ , so no root in  $[x_1, m]$

$f(m) \cdot f(x_2) < 0$ , so root in  $[m, x_2]$ . Set  $x_1 = m$

Assume/analyze only a single root in the interval (e.g.,  $[-4.0, 0.0]$ )

# Bisection



$f(m) \cdot f(x_2) > 0$ , so no root in  $[m, x_2]$

$f(x_1) \cdot f(m) < 0$ , so root in  $[x_1, m]$ . Set  $x_2 = m$

Continue until  $(x_2 - x_1)$  is small enough