			Tole	rance				
1,11,11,11	***** }****	Resistance (Ω)	5%	10%	Total			. 5
N × 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	* * * * * * * * * * * * * * * * * * *	22	10	14	24			
		47	28	16	44			
		100	24	8	32			
		Total	62	38	100			
4.a) b)	Find the mean of Binomial random variable. In a sports event javelin throw distances are well approximated by a Gaussian distribution for which mean is 30m and standard deviation is 5m. In a qualifying round, contestants must throw farther than 27m to qualify. In the main event the record throw is 44m.							
	 i) What is the probability of being disqualified in the first round? ii) In the main event what is the probability the record will be broken? [5+5] 							
5.a)	Obtain the characteristic function of Poisson and an actual control of Poisson and actual control of Poisson actual control of Poisson and actual control of Poisson actual co							
b)	Obtain the characteristic function of Poisson random variable. X and Y are two statistically independent random variables related to W as W= X + Y. Obtain the probability density for the probability density density for the probability density for the probability density for the probability density for the probability density for the p							
٠,								
	W=X+Y. Obtain the probability density function of Y in terms of probability functions of X and Y.							
****			3)	*****		2 3 3 7 6		[5+5]
6.a)	Obtain the express	ion for any liti			T7.175			
0.4)	Obtain the expression for conditional density $f_X(X/B)$ where event B is defined as							
b)	$\{ y_a \le Y \le y_b \}.$ Write short notes	on inimite C						
0)	Write short notes on jointly Gaussian random variables. [5+5]							
7.2)	Two random v	omiobles V	OR		2 0 0			
/.a).	$0 \times (0 \times 0) = 0 \times 0$	ariables X a	na Y	have	joint	character	istic	function
	$\phi_{XY}(\omega_1,\omega_2) = \exp(-2\omega_1^2 - 8\omega_2^2)$. Show that X and Y are uncorrelated zero mean random variables.							
b)	random variables,							
U)	Two statistically independent random variables X and Y have mean value $E[X] = 2$ and $E[Y] = 4$. They have second moments $E[X^2] = 8$ and $E[Y^2] = 2$							
	Find Variance of V] - 4. They hav	e secor	ia mom	ients E	$X^2 = 8$ ar	id E[Y	[2] = 25.
, · · · · · · · ·	The variance of v	Y = 3Δ-1.	100			2		[5+5]
8 a)	A random process	is defined as Y	7/+\ _ A					the fire
0,4,	A random process is defined as $X(t) = ACos(\omega_0 t + \Theta)$, where Θ is a uniformly distributed random variable in the interval $(0, -1)$.							
	distributed random variable in the interval $(0, \pi/2)$. Check for its wide sense							
b)	stationarity? A and							
b)	Classify random pr		-					[6+4]
9,a)	Define autocorrela	43.0	OR			*** ****		*10 0762
, 7.0)	prove any two of the	uon function o	f a ran	dom pr	ocess.	Write its p	roper	ties and
b)	Explain the concept of time average and ergodicity. Write the conditions for a							
0)	random process to I	be ergodic in me	age and	ergodic autocor	city. Wi	rite the co	nditio.	ns for a [5+5]
10.a)	Derive the expressi	on for power de	nsity sp	ectrum	of a ran	dom proce	ce	
b)	Write the properties	of power spect	ral dens	itv.	or a ruli	eroiss broce	٥٥.	[6+4]
			OR			essa ^{er} a Ta		
11.a)	Prove $S_{YY}(\omega) = H $	$(\omega)^2 S_{XX}(\omega).$	Where >	K(t) is in	nput rai	ndom proc	ess of	an LTI

system and Y(t) its output. $|H(\omega)|$ is the transfer function of the LTI system.

[5+5]

Define cross power density spectrum and write its properties:

::::b)